Price-cost margins, fixed costs and excess profits

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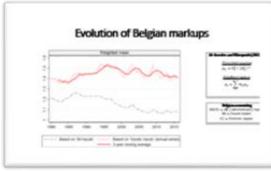
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Introduction

- Concerns about rise of US markups (De Loecker, Eeckhout & Unger, 2020).
 - Interpreted as rising product market power, and linked to other macroeconomic trends.
- However, still heavily debated at the conceptual and empirical level
 - Diverse reasons for rising markups which are not necessarily linked to rising market power (Berry, Gaynor & Scott, 2019), among which fixed costs
 - De Loecker and Warzynski (2012) is the dominant approach, and typically uses COGS and SG&A as respectively variable and fixed inputs.
 - Accounting practices, among which reclassification, might have changed (Traina, 2018; Karabarbounis and Neiman, 2018)
 - Basu (2019) is skeptical that the variable input choice issue can be adressed by current data availability
- Introduce a novel methodology building on Hall (1988) and Roeger (1995)
 - Based on Solow residuals: primal (Q) and dual (P) revenue and cost-based
 - Jointly estimate price-cost margins and fixed costs

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Belgian markups over time
Agent (Analistic d'artic-art) mages
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What do we (not) do?

Advantages

- Assumptions
 - Flexible treatment of all inputs → No arbitrary assumption on fixity of an input
 - Returns to scale parameter Y is not restricted to one
 - If Υ =/= 1, then estimate:

$$PCM_t^{AVC} = 1 - \gamma_t (1 - PCM_t^{MC}) = \frac{P - AVC}{P}$$

If Υ = 1, then estimate:

$$PCM_t^{AVC} = PCM_t^{MC} = \frac{P-MC}{P}$$

- No need for deflator → Use nominal values (Roeger, 1995)
- Deals with endogeneity problem caused by unobservable productivity shocks (Roeger, 1995).

Results

- Estimate aggregate PCM and the share of fixity for each input
- Decompose PCM into FCR and EPR (link to profit rate; Barkai, 2020)

Disadvantages

- Assumptions
 - Static optimization framework \rightarrow No dynamic costs.
 - Perfect competition in the input market

Results

- Estimate 'aggregate' coefficients
 - Not able to estimate firm-year level coefficients based on firm-year accounts
 - Firm size distribution matters (De Loecker, Eeckhout & Unger, 2020)
- However, able to estimate coefficients by subsamples based on microeconomic data
 - small vs. large, sector results and so on

Start from a short-run production function for firm i in year t, $Q = F(K, L, M) \theta$

Define the primal revenue based Solow residual

 $SRQ^{R} \equiv \Delta q - \frac{WL}{PQ} \Delta l - \frac{P^{M}M}{PQ} \Delta m - (1 - \frac{WL}{PQ} - \frac{P^{M}M}{PQ}) \Delta k$

Use profit maximization, first-order-conditions and Euler's law to get,

$$\Delta q = \left(\frac{RK}{PQ} \Delta k + \frac{WL}{PQ} \Delta l + \frac{P^{M}M}{PQ} \Delta m \right) + \Delta \vartheta$$

In order to obtain,

$$SRQ^R =$$

$\Delta \theta$

Assumptions

- No markup
- No fixed costs (i.e. all costs are variable)
- Constant returns to scale

erivation

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Use profit maximization, first-order-conditions and Euler's law to get,

$$\Delta q = \frac{1}{(1 - PCM)} \left(\frac{RK}{PQ} \Delta k + \frac{WL}{PQ} \Delta l + \frac{P^M M}{PQ} \Delta m \right) + \Delta \vartheta$$

In order to obtain,

$$SRQ^{R} = ($$
 $-PCM)(\Delta q - \Delta k) +$
 $(1 - PCM)\Delta \theta$

Assumptions

- Allow markup
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erivation

Start from a short-run production function for firm i in year t, $Q = F(K^{\nu}, L^{\nu}, M^{\nu}) \ \theta$

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Use profit maximization, first-order-conditions and Euler's law to get, Derivation

$$\Delta q = \frac{1}{(1 - PCM)} \left(\frac{sv^{K}RK}{PQ} \Delta k^{\nu} + \frac{sv^{l}WL}{PQ} \Delta l^{\nu} + \frac{sv^{M}P^{M}M}{PQ} \Delta m^{\nu} \right) + \Delta \vartheta$$

In order to obtain,

$$SRQ^{R} = (-PCM)(\Delta q - \Delta k) + \left(\frac{sv^{K}RK}{PQ}(\Delta k^{v} - \Delta k) + \frac{sv^{l}WL}{PQ}(\Delta l^{v} - \Delta l) + \frac{sv^{M}P^{M}M}{PQ}(\Delta m^{v} - \Delta m)\right) + \frac{(1-sv^{L})WL}{PQ}(\Delta k - \Delta l) + \frac{(1-sv^{L})WL}{PQ}(\Delta k - \Delta m) + (1 - PCM)\Delta\theta$$

Assumptions

- Allow markup
- Allow fixed and variable costs for each input
- Constant returns to scale

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Start from a short-run production function for firm i in year t, $Q = F(K^{\nu}, L^{\nu}, M^{\nu})^{\gamma} \Theta^{\gamma}$

Define the primal revenue based Solow residual

 $SRQ^{R} \equiv \Delta q - \frac{WL}{PQ} \Delta l - \frac{P^{M}M}{PQ} \Delta m - (1 - \frac{WL}{PQ} - \frac{P^{M}M}{PQ}) \Delta k$

Use profit maximization, first-order-conditions and Euler's law to get, Derivation

$$\Delta q = \frac{1}{\gamma(1 - PCM)} \left(\frac{sv^{K}RK}{PQ} \Delta k^{\nu} + \frac{sv^{l}WL}{PQ} \Delta l^{\nu} + \frac{sv^{M}P^{M}M}{PQ} \Delta m^{\nu} \right) + \gamma \Delta \vartheta$$

In order to obtain,

$$SRQ^{R} = (1 - \gamma(1 - PCM))(\Delta q - \Delta k) + \left(\frac{sv^{K}RK}{PQ}(\Delta k^{v} - \Delta k) + \frac{sv^{l}WL}{PQ}(\Delta l^{v} - \Delta l) + \frac{sv^{M}P^{M}M}{PQ}(\Delta m^{v} - \Delta m)\right) + \frac{(1 - sv^{L})WL}{PQ}(\Delta k - \Delta l) + \frac{(1 - sv^{L})WL}{PQ}(\Delta k - \Delta m) + \gamma^{2}(1 - PCM)\Delta\theta$$

Repeat for SRP^R , SRQ^C and SRP^C

- *SRQ^R* and *SRP^R* are subject to scale parameter, shares of fixity and price-cost margin, though different wedges
- *SRQ^C* and *SRP^C* are subject to scale parameter and shares of fixity *but not to the price-cost margin,* though different wedges

Assumptions

- Allow markup
- Allow fixed and variable costs for each input
- Allow returns to scale different from one

- Combine Solow residuals to eliminate unobservables
- Resulting main specification

$$\Delta y_{it} = -\widehat{PCM}_t * \Delta x_{1it} + \widehat{sf_t}^k * \Delta x_{2it} + \widehat{sf_t}^l * \Delta x_{3it} + \widehat{sf_t}^m * \Delta x_{4it} + \epsilon_{it}$$

- With $\Delta y_{it} = (SRQ_{it}^R SRP_{it}^R)PQ_{it} (SRQ_{it}^C SRP_{it}^C)C_{it}$
 - With $\Delta x_{1,i} = PQ_{it} [(\Delta p + \Delta q)_{it} (\Delta k + \Delta r)_{it}]$
 - With $\Delta x_{2it} = RK_{isct} [(\Delta p + \Delta q)_{it} (\Delta k + \Delta r)_{it}]$
 - With $\Delta x_{3it} = WL_{isct} [(\Delta p + \Delta q)_{it} (\Delta k + \Delta r)_{it}]$
 - With $\Delta x_{4,it} = P^M M_{it} [(\Delta p + \Delta q)_{it} (\Delta k + \Delta r)_{it}]$
- With $PCM_t^{AVC} = 1 \gamma_t (1 PCM_t^{MC}) = \frac{P AVC}{P}$ If $\gamma_t = 1$, then $PCM_t^{AVC} = PCM_t^{MC} = \frac{P MC}{P}$

Decompose

$$\widehat{PCM}_t \equiv \widehat{FCR}_t + \widehat{EPR}_t$$

• with
$$\widehat{FCR}_t \equiv \frac{\left(\widehat{sf_t^k} * RK_t + \widehat{sf_t^l} * WL_t + \widehat{sf_t^m} * P^M M_t\right)}{PQ_t}$$

• with $\widehat{EPR}_t = \widehat{PCM}_t - \frac{\left(\widehat{sf_s^k} * RK_t + \widehat{sf_t^l} * WL_t + \widehat{sf_t^m} * P^M M_t\right)}{PQ_t}$

Can be estimated for any 'aggregate' group of firms

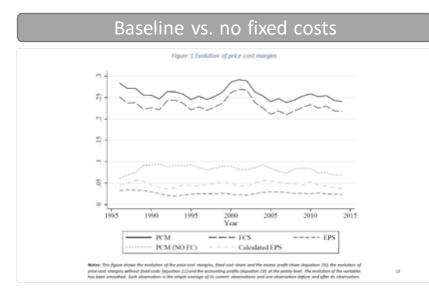
Aggregate 'pooled' results (1985-2014, BE)

	(1)	(2)	(3)	(4)	(5)
Price-cost Margins	0.080***	0.079***	0.080***	0.081***	0.254***
Frice-cost wargins	(0.010)	(0.010)	(0.011)	(0.012)	(0.017)
Share of Fixed					0.625***
Capital					(0.041)
Share of Fixed					0.173***
Labor					(0.029)
Share of Fixed					0.232***
Intermediates					(0.017)
Fixed Costs Share				•	0.229***
					(0.017)
Excess Profits Share	0.080***	0.079***	0.080****	0.081***	0.025***
	(0.010)	(0.010)	(0.011)	(0.012)	(0.002)
Year FE	No	Yes	No	Yes	Yes
Firm FE	No	No	Yes	Yes	Yes
Ν	280,252	280,252	278,353	278,334	278,353
r2	0.27	0.28	0.31	0.39	0.54

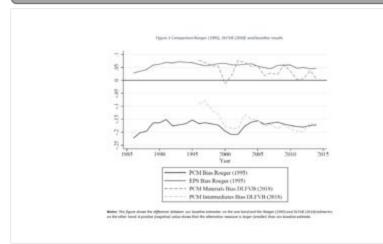
Table 2 Price-cost margins

Notes: Columns (1)-(4) show results from equation (21), assuming no fixed costs. Regressions are weighted by sales at the firm-year level. Column (5) show pooled results from equation (20), allowing for fixed costs. Standard errors in parentheses (+ p < 0.10, * p < 0.05, ** p < 0.01, *** p < 0.001). Standard errors are clustered by NACE 2 digits.

Aggregate yearly results (BE)

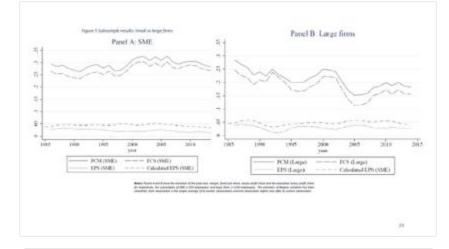


Baseline vs. 'simple' accounting markups

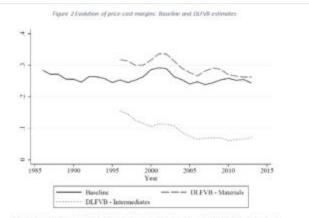


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Subsample small vs. large firms



Baseline vs. DLFVB (2020) markups

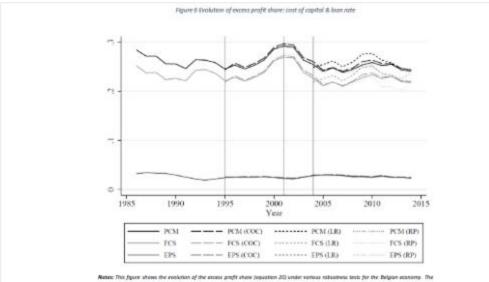


Make: The Agent share the exclusion of two handles apies and margine, but the processor tempore based entrivity destination (over based or materials as a sensible apiel out exclusion of margines), and the processor tempore based on two out of the evolution has been encodined, black observations on the sample somegar of the control instance/base, and one observation based and other \$1, observations, (for \$1, and \$1, and

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Robustness checks

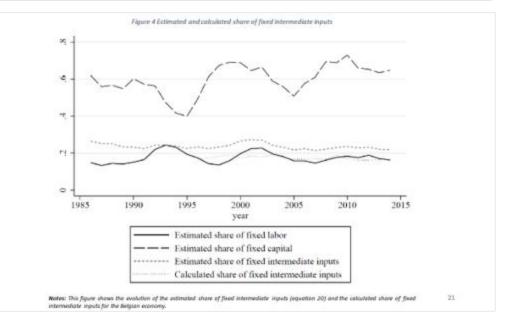
Cost of capital



exclution of Belgian variables has been amouthed. Each observation is the simple overage of its current observations and one observation before and other its observation.

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Share of fixed intermediate inputs



Conclusion

• Novel methodology to estimate price-cost margins

- Allow flexible treatment of *all* input factors
 - Labor, capital and intermediate inputs
 - Each input can be variable, fixed or a combination of both

• Illustrate based on Belgian firm-level data

- In levels → PCM (25.4%) = FCR (22.9%) + EPR (2.5%)
- In changes → ΔPCM (-5.9%) = ΔFCR (-4.0%) + ΔEPR (-1.9%)

• PCM \neq EPR due to FC

- Additional layer of insight
- Distinguish (evolution of) markups, market power, changing production processes (MC/FC/VC) and profitability

End

Contact

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